Full-text Available Online at <a href="https://www.aiol.info">www.aiol.info</a> and <a href="https://www.bioline.org.br/ja">www.bioline.org.br/ja</a>

J. Appl. Sci. Environ. Manage. *March*, 2012 Vol. 16 (1) 95 - 101

## Delphi Fuzzy Elicitation Technique in the Determination of Third Party Failure Probability of Onshore Transmission Pipeline in the Niger Delta region of Nigeria

# <sup>1</sup>ARIAVIE, GO; <sup>2</sup>OVUWORIE, GC

<sup>1</sup>Mechanical Engineering Department and <sup>2</sup>Production Engineering Department, University of Benin, Benin City, Nigeria

**ABSTRACT:** The Delphi technique via the expert elicitation method becomes extremely handy particularly in view of limited availability of data in determining failure probabilities of onshore transmission pipelines in the Niger Delta region of Nigeria occasioned by third party activity. Using, ten (10) experts opinion elucidated individually via email questionnaires and summarizing their responses in linguistic languages expression that were converted into failure probabilities for twelve (12) identified third part activities in the Niger Delta region of Nigeria using Fuzzy Set Theory tools. The results show that the neglect by government has the highest probability of failure of 0.1698200. @JASEM

Keywords: Delphi technique, onshore transmission pipeline, Fuzzy set theory, third party activities,

The Delphi Fuzzy method proposed by Chang *et al* (2000) is an iterative process to collect and distill the anonymous judgments of experts. It is also is in essence a series of sequential questionnaires or 'rounds', interspersed by controlled feedback, that seek to gain the most reliable consensus of opinion of a group of experts (Linstone and Turoff, 1975). The Delphi process ensures confidentiality, geographical dispersion, exchange and information solicitation via emails, (Dalkey,1972) avoiding downsides associated with group dynamics such as manipulation or coercion to conform or adopt a certain viewpoint can be minimized (Helmer and Rescher, 1959, Hsu and Sandford, 2007).

The Delphi technique, mainly developed by Dalkey and Helmer in 1963 at the Rand Corporation in the 1950s, is a widely accepted method for achieving convergence of opinion concerning real-world knowledge solicited from experts within certain topic areas and is designed as a group communication process that aims at conducting detailed examinations and discussions of a specific issue for the purpose of goal setting, policy investigation, or predicting the occurrence of future events (Ulschak, 1983; Turoff and Hiltz, 1996; Ludwig, 1997). Common surveys try to identify "what is," whereas the Delphi technique attempts to address "what could/should be" (Miller, 2006).

Expert elicitation, being a method for carrying out the Delphi's technique, refers to a systematic approach to synthesize subjective judgments of experts on a subject where there is uncertainty due to insufficient data, when such data is unattainable because of physical constraints or lack of resources (Slottje et al, 2008). According to Hart, 1986 and Walton, 1997, an expert is effective, efficient, credible, reliable and aware of his limitations. Furthermore, an expert is

experience in the area of discourse whose opinion is based on sound opinion the domain of the question at hand? Feltovitch et al. 2006, provides further generalizations i.e Experts organize knowledge effectively, have superior recall of information and have improved abilities to abstract knowledge to new situations, compared to lay people. They perform the basic operations of their discipline efficiently, and are able to think critically about data and methods in their domain. Usually, attaining expertise requires both study and practical experience (Wiegmann, 2005). In Slottjj et al, 2008, the six building blocks of carrying the elicitation process to involve the screening and re-screening of uncertainties, the selection of experts, gathering and disseminate basic key information to experts, qualitative and/or quantitative expert elicitation session(s) and reporting and communicate the results

### MATERIALS AND METHODS

In this study, the expert a priori status asserted and evaluated based on the professional characteristics and track record of the person, the qualifications, experience, publications and professional standing are relevant. (Wiegmann, 2005). We ensured potential problems such as bias, cognitive, overestimation of single-event probabilities, conservatism, optimism and fallacies of causal and diagnostic reasoning. (Fenton, 1998). Individuallyfocused (as opposed to group) elicitation of expert judgment has been widely used in applied Bayesian decision analysis and areas of environmental policy (Morgan et al., 1978a; Morgan et al., 1978b; Morgan et al., 1984; Morgan et al., 1985; Morgan and Keith, 1995; Budnitz et al., 1995; Budnitz et al., 1998; Morgan et al., 2001; Garthwaite et al., 2005; Morgan et al., 2006). A panel size of 10 was selected because of the scope of the problem and resources available (Delbecq et al. 1975, Fink et al. 1991, Hasson et al.

<sup>\*</sup>ariaviefe@uniben.edu; 2348035615205

2000) even though between 10 to 1685 is allowed (Powel, 2003).

Three rounds of questionnaires were sent to a preselected expert panel viz: first round of pilot testing of questionnaires is sent to help to identify ambiguities and improve the feasibility of administration, with the second and third round rounds being more specific, with the questionnaires seeking quantification of earlier findings, usually through rating or ranking techniques. Feedbacks from previous rounds tend to help convergence to a consensus of opinion (Jairath and Weinstein 1994).

Expert selection: In selecting experts to participate in an expert elicitation, representatives from across all the relevant disciplines and schools of thought, which process is fundamentally different from that of drawing a random sample to estimate some underlying true value. In the case of expert elicitation, it is entirely possible that one expert, perhaps even one whose views are an outliner, may be correctly reflecting the underlying physical reality, and all the others may be wrong. For this same reason, when different experts hold different views it is often best not to combine the results before using them in analysis, but rather to explore the

implications of each expert's views so that decision makers have a clear understanding of whether and how much the differences matter in the context of the overall decision (Morgan and Henrion, 1990).

Ten experts, seven engineers, two academic pipeline researchers and one industrial pipeline researcher were chosen to evaluate reasons for pipeline vandalization by twelve  $(i_1 ext{ to } i_{12})$  third party identified activities based on experience and knowledge about pipelines. The identified events for this study are  $i_1$  =Revenge,  $i_2$ =Poverty,  $i_3$ = Fishing,  $i_4$  = Government Neglect,  $i_5$  =Get Rich Quickly,  $i_6$  = Farming Activities,  $i_7$  = Militancy,  $i_8$ =Population Explosion,  $i_9$ =Aging Pipeline,  $i_{10}$ = Company's Operation ,  $i_{11}$ =Sabotage Poor and  $i_{12}$ =Engineering Constructions. They were to respond in linguistic terms of Strongly Disagree (SD), Disagree (D), Don't Know (DN), Agree (A) and Strongly Agree (SA) to whether the identify third party activity are responsible for pipeline failures (Table 1). The experts were labeled J1 to J10.

Classification	Revenge	Poverty	Fishing	Government Neglect	Get rich quickly	Farming Activities	Militancy	Population Explosion	Aging Pipeline	Company's operations	Sabotage	Poor Engineering Constructions
J1	D	D	Α	SA	SA	D	SA	D	D	D	SA	D
J2	A	SA	SD	SA	SA	SD	SD	A	A	SA	SA	SD
J3	Α	SA	D	A	SA	SD	SD	A	A	A	SA	SD
J4	SA	A	D	SA	SA	A	A	D	D	SA	A	D
J5	A	A	D	S A	A	D	SA	D	D	A	A	D
J6	A	SA	D	SA	SA	D	A	D	D	D	A	D
J7	D	A	D	SA	SA	D	A	D	D	A	A	SD
J8	A	SA	SD	SA	SA	SD	SA	SD	SD	A	SA	A
J9	D	SA	SA	SA	SA	SA	SA	D	SA	A	SA	D
J10	A	SA	D	SA	SA	D	SA	D	SA	SA	A	D

Table 1: Response from 10 experts on 12 identified third party activities using

Legend: SA-Strongly Agree A- Agree DN-I don't know D- Disagree. SD-Strongly Disagree

### RESULT AND DISCUSSION

Each expert is assigned a non-negative "weight"  $\omega_i \geq 0$  to reflect his/her relative expertise in the group, and thereafter standardize these so that  $\sum_i \omega_i = 1$ . Experts that are viewed 'better' than others, the 'better' expert is given a greater weight. Experts' were mailed the questionnaire with the advisory table (Table 2) via surveymonkey.com, an

online tool for collecting and analyzing responses from individual experts via emails. Surveymonkey also assist to randomized/sort answers which eliminates bias (a good factor that makes it suitable for the Delphi technique). Once completed, a surveymonkey result is analyzed on time real-time with the responses viewed and reports generated. Generated results can be shared with others without access to the sender account details.

**Table 2:** Advisory table for Experts

			_,,				
Title of Expert Academic	Assigned Title Score	Service years of Expert	Assigned Service Score	Educational Level Ph.D	Assigned Educational Level Score	Age bracket of Expert 10 - 18 years	Assigned Age Score
Researcher		less than 5 years					
Industrial Researcher	5	between 5 and 10 years	2	Master degree	6	19 - 27 years	2
Scientist	4	between 10 and 15 years	3	Bachelors degree	5	28 - 36 years	3
Engineer	3	between 15 and 20 years	4	Higher national diploma	4	37 - 45 years	4
Technologist	2	above 20 years	5	Ordinary diploma	3	Above 46 years	5
Pipeline Operator	1			Senior secondary school certificate	2		
				Technical college	1		

Weighted score,  $w_c$ = Assigned title score + Assigned service score + Assigned educational score + Assigned age score.....(1)

For expert J1, weighted score,  $w_{c1}$ =18 (an engineer who is over 46 years with a service history of over 20 years) while for expert J2, weighted score,  $w_{c2}$ =1 2 (an engineer whose age bracket is between 28 – 36

years with a service history of less than 5 years). Similarly, calculations for weighting score for expert 3 to expert 10 would give the result shown in Table 3. The weighting factor is hereafter calculated for individual expert as a ratio of the weighting score of the expert to the sum of the weighting score for all the experts.

Table 3: Weight score and constitution of different expert

N	TITLE	ASSIGN SCORE FOR TITLE OF EXPERT	SER VICE TIME (years)	ASSIGN SCORE FOR SERVICE TIME OF EXPERT	EDUCATIONAL LEVEL	ASSIGN SCORE FOR EDUCATIONAL LEVEL OF EXPERT	AGE OF EXPERT (years)	ASSIGN SCORE FOR AGE OF EXPERT	WEIGHTING SCORE	WEIGHTING FACTOR, w <sub>j</sub>
J1	ENGINEER	3	> 20	5	BSC	5	>46	5	18	0.11764706
J2	ENGINEER	3	< 5	1	BSC	5	28 - 36	3	12	0.07843137
Ј3	ENGINEER	3	< 5	1	BSC	5	28 - 36	3	12	0.07843137
J4	INDUSTRIAL RESEARCHER	5	< 5	1	MSC	6	37 - 45	4	16	0.10457516
J5	ENGINEER	3	15-20	4	HND	4	> 46	5	16	0.10457516
J6	ACCADEMIC RESEARCHER	6	5 -10	2	PHD	7	37 - 45	4	19	0.12418301
J7	ENGINEER	3	< 5	1	BSC	5	28 - 36	3	12	0.07843137
Ј8	ENGINEER	3	10 -15	2	MSC	6	37 - 45	4	15	0.09803922
Ј9	ACCADEMIC RESEARCHER	6	15 - 20	3	MSC	6	37 - 45	4	19	0.12418301
J10	ENGINEER	3	<5	1	MSC	6	37 - 45	4	14	0.09150327

These opinion which are expressed in linguistic terms is converted to fuzzy numbers by Chen et al.'s Left and Right Scores (1989). Generally, this conversion is viewed as a searching method for the fuzzy mean value in a fuzzy set as the fuzzy mean value does not

necessary have to be the value that obtains the highest membership grade. In order to determine the crisp score, Hwang et al. (1992) compares the fuzzy sets with a maximizing fuzzy set (fuzzy max) and a minimizing fuzzy set (fuzzy min) and defined as:

$$\mu_{\max}(x) = \begin{cases} x, 0 \le x \le 1 \\ 0, \text{ otherwise} \end{cases} \quad \text{and} \quad \mu_{\min}(x) = \begin{cases} 1 - x, 0 \le x \le 1 \\ 0, \text{ otherwise} \end{cases}$$
 (2)

The right and left scores refers to the intersection of the fuzzy logic set M with the fuzzy max. and the intersection of the fuzzy logic set M with the fuzzy min respectively given by

$$\mu_R(M) = \sup_{x} \left[ \mu_M(x) \wedge \mu_{\max}(x) \right] \quad and \quad \mu_L(M) = \sup_{x} \left[ \mu_M(x) \wedge \mu_{\min}(x) \right]$$
(3)

Combining or agrregating the different opinion of the ten experts over the twelve identified events into a single one, we would apply the linear opinion pool method given in equation (4).

$$N_i = \sum w_i B_{ii}, \qquad j = 1, 3, ..., n$$
 (4)

where

 $N_i$  represents combined fuzzy number of basic events i

m represents the num, ber of basic events,

w<sub>i</sub> represents the weighting factor of expert j

 $B_{ij}$  represents the linguistic expression of a basic event i given by expert j, and

n represents the number of experts

For a scenario of twelve basic events with ten experts' linguistic expression and applying equation 4 and applying the various membership function as depicted in figure 2, the generated combined fuzzy number would given as follows:

$$N_{1} = \max(w_{4} \cdot f_{SA}(x) \land (w_{2} + w_{3} + w_{5} + w_{6} + w_{8} + w_{10}) \cdot f_{A}(x) \land (w_{1} + w_{7} + w_{9}) \cdot f_{D}(x))$$

$$N_{2} = \max((w_{2} + w_{3} + w_{6} + w_{8} + w_{9} + w_{10}) \cdot f_{SA}(x) \land (w_{4} + w_{5} + w_{7}) \cdot f_{A}(x) \land (w_{2} + w_{8}) \cdot f_{D}(x))$$

$$N_{3} = \max((w_{9} + w_{10}) \cdot f_{SA}(x) \land w_{1} \cdot f_{A}(x) \land (w_{3} + w_{4} + w_{5} + w_{6} + w_{7}) \cdot f_{D}(x) \land (w_{2} + w_{8}) \cdot f_{SD}(x))$$

$$N_{4} = \max((w_{1} + w_{2} + w_{4} + w_{5} + w_{6} + w_{7} + w_{8} + w_{9} + w_{10}) \cdot f_{SA}(x) \land w_{3} \cdot f_{A}(x))$$

$$N_{5} = \max((w_{1} + w_{2} + w_{3} + w_{4} + w_{6} + w_{7} + w_{8} + w_{9} + w_{10}) \cdot f_{SA}(x) \land w_{5} \cdot f_{A}(x))$$

$$N_{6} = \max((w_{1} + w_{2} + w_{3} + w_{4} + w_{6} + w_{7} + w_{8} + w_{9} + w_{10}) \cdot f_{D} \land (w_{2} + w_{3} + w_{8}) \cdot f_{SD}(x))$$

$$N_{7} = \max((w_{1} + w_{5} + w_{8} + w_{9} + w_{10}) \cdot f_{SA}(x) \land (w_{4} + w_{6} + w_{7}) \cdot f_{A}(x) \land (w_{2} + w_{3}) \cdot f_{SD}(x))$$

$$N_{8} = \max((w_{2} + w_{3}) \cdot f_{A}(x) \land (w_{1} + w_{4} + w_{5} + w_{6} + w_{7} + w_{9} + w_{10}) \cdot f_{D}(x) \land w_{8} \cdot f_{SD}(x))$$

$$N_{9} = \max((w_{9} + w_{10}) \cdot f_{SA}(x) \land (w_{2} + w_{3}) \cdot f_{A}(x) \land (w_{1} + w_{4} + w_{5} + w_{6} + w_{7}) \cdot f_{D}(x) \land w_{8} \cdot f_{SD}(x))$$

$$N_{10} = \max((w_{2} + w_{4} + w_{10}) \cdot f_{SA}(x) \land (w_{3} + w_{5} + w_{7} + w_{8} + w_{9}) \cdot f_{A}(x) \land (w_{1} + w_{6}) \cdot f_{D}(x))$$

$$N_{11} = \max((w_{1} + w_{2} + w_{3} + w_{8} + w_{9}) \cdot f_{SA}(x) \land (w_{4} + w_{5} + w_{6} + w_{7} + w_{10}) \cdot f_{A}(x))$$

$$N_{12} = \max((w_{8} \cdot f_{A}(x) \land (w_{1} + w_{4} + w_{5} + w_{6} + w_{7} + w_{10}) \cdot f_{A}(x))$$

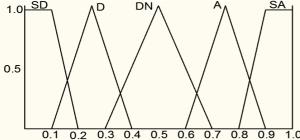


Fig 1: Schematics of scale function using a combination of both trapezoidal and triangular membership functions

$$Delphi \ Fuzzy \ Elicitation \ Technique.....$$
The corresponding membership function of the fuzzy number  $N_1$  to  $N_{12}$  is modeled according to figure 1 (see Ariavie et al 2010 and Ariavie 2010) is given by 
$$f_{SA}(x) = \begin{cases} 0 & , & x < 0.8 \\ \frac{x - 0.8}{0.1} & , & 0.8 < x \le 0.9 \\ 1 & , & 0.9 < x < 1 \end{cases}$$

$$\int_{0}^{\infty} \frac{x - 0.6}{0.15} & , & 0.6 < x \le 0.75 \\ 0 & , & otherwise \end{cases}$$

$$f_{DN}(x) = \begin{cases} \frac{x - 0.6}{0.15} & , & 0.5 < x \le 0.9 \\ 0 & , & otherwise \end{cases}$$

$$f_{DN}(x) = \begin{cases} \frac{x - 0.3}{0.2} & , & 0.3 < x \le 0.5 \\ 0 & , & otherwise \end{cases}$$

$$f_{DN}(x) = \begin{cases} \frac{x - 0.3}{0.2} & , & 0.5 < x \le 0.7 \\ 0 & , & otherwise \end{cases}$$

$$f_{DN}(x) = \begin{cases} \frac{x - 0.3}{0.2} & , & 0.5 < x \le 0.7 \\ 0 & , & otherwise \end{cases}$$
Hence, the fuzzy possibility score of the fuzzy number  $N$  is can then be calculated from  $FPS = \mu_T(N)[\mu_R(N) + 1 - \mu_L(N)]/2$  (Yuhua and Datao (2005) and Lei (2005) (10)

 $FPS == \mu_T(N)[\mu_R(N) + 1 - \mu_L(N)]/2$  (Yuhua and Datao (2005) and Lei (2005)

Also, the fuzzy failure probability, as defined by Onisawa, (1990), is given as

$$FFP = \begin{cases} \frac{1}{10^{k}} & FPS \neq 0 \\ 0 & FPS = 0 \end{cases}$$
 (11), where  $k = [(1 - FPS)/FPS]^{(1/3)} \times 2.301$ 

Solving equations 1 through 11 would give the fuzzy probability for the twelve identified events as ( Ariavie, 2010, Ariavie et al, 2010 and Ariavie et al, 20110) indicated in table 4.

Table 4: Fuzzy Failure Probability for Identified Third Party Activities

Basic Events, i	Classification	Fuzzy Failure Probability
1	Revenge	0.0028490
2	Poverty	0.0142000
3	Fishing	0.0448750
4	Government Neglect	0.1698200
5	Get Rich Quick	0.0096940
6	Farming Activities	0.1138200
7	Militancy	0.0581430
8	Population Explosion	0.0054450
9	Aging Pipelines	0.0566200
10	Company's Operation	0.0032970
11	Sabotage	0.0089722
12	Poor Engineering Construction	0.0097220

#### REFERENCE

Ariavie G.O, Ovuworie G.C and Ariavie S.S (2010) "On Expert Elicitation Method in the Determination of Transmission Pipeline Failure occasioned by Third Party Activities in the Niger Delta region of Nigeria". Proceedings of the International Conference on Engineering Research and Development (ICER&D 2010) held at the University of Benin, Nigeria. 7<sup>th</sup> – 9<sup>th</sup> September, 2010.

Ariavie G.O (2010) "A Fuzzy Risk Analysis of Pipeline Failures: The Case of Third Party Activities in the Niger Delta Region". A PhD Thesis submitted to the School of Postgraduate School, University of Benin, Benin City.

Ariavie G.O, Ovuworie G.C and Ariavie S.S (2011) "Fuzzy Failure Probability of Transmission Pipelines in the Niger Delta Region of Nigeria: The case of Third Party Activities". Journal of the Nigerian Association of Mathematical Physics. Volume 18. (May 2011), pp 445 - 450

Budnitz, R.J., G. Apostolakis, D.M. Boore, L.S. Cluff, K.J. Coppersmith, C.A. Cornell, and P.A. Morris, (1995): "Recommendations for Probabilistic Seismic Hazard Analysis: Guidance on uncertainty and the use of experts". Lawrence Livermore National Laboratory, Livermore CA, UCRL-ID 122160, 170 pp.

Budnitz, R.J., Apostolakis, G., Boore, D.M, Cluff, L.S, Coppersmith, K.J., Cornell, C.A and Morris, P.A (1998) "Use of technical expert panels: Applications to probabilistic seismic hazard analysis". *Risk Analysis*, 18(4), 463-469.

Chang, P. T., Huang, L. C. & Lin, H. J. (2000). The fuzzy Delphi via fuzzy statistics and membership function fitting and an application to human resources, *Fuzzy Sets and Systems*, 112, 511-520.

Dalkey, N. C., & Helmer, O. (1963). "An Experimental Application of the Delphi Method to the use of Experts". *Management Science*, 9 (3), 458-467

Dalkey, N. C. (1972). The Delphi method: An experimental study of group opinion. In N. C. Dalkey, D. L. Rourke, R. Lewis, & D. Snyder (Eds.). *Studies in the quality of life: Delphi and decision-making* (pp. 13-54). Lexington, MA: Lexington Books.

Feltovitch, P. J., Prietula, M. J. & Ericsson, K. A. (2006) Studies of expertise from psychological

perspectives. In K. A. Ericsson, N. Charness, R. R. Hoffman & P. J. Feltovitch (Eds). *Cambridge Handbook of Expertise and Expert Performance*. Cambridge University Press, Cambridge, pp. 41-68.

Fenton, N. (1998). Probability elicitation and bias.http://www.dcs.qmul.ac.uk/~norman/BBNs/BBNs.htm).

Garthwaite, P. H., Kadane, J. B., & O'Hagan, A. (2005). Statistical methods for eliciting prior distributions. *Journal of the American Statistical Association*, 100, 680-700.

Hart, A. (1986). *Knowledge acquisition for expert systems*. McGraw-Hill, New York.

Hsu C. and Sandford B.A (2007) "The Delphi Technique: Making Sense of Consensus" Practical *Assessment, Research & Evaluation.* Volume 12, Number 10, August 2007 ISSN 1531-7714.

Hwang C.L. and Chen S.J. (1992) Fuzzy Multiple Attribute Decision Making: Methods and Applications. Springer-Verlag, New York, 1992.

Jairath N. and Weinstein J. (1994) *The Delphi Methodology: A Useful Administrative Approach*. Canadian Journal of Nursing Administration 7, 29–42.

Linstone H. and Turoff M. (eds) (1975) *The Delphi Method: Techniques and Applications*. Addison-Wesley, Reading, MA.

Ludwig, B. (1997). "Predicting the future: Have you considered using the Delphi methodology? "Journal of Extension, 35 (5), 1-4. Retrieved November 6, 2005 from <a href="http://www.joe.org/joe/1997october/tt2.html">http://www.joe.org/joe/1997october/tt2.html</a>.

Miller, L. E. (2006): "Determining what could/should be: The Delphi technique and its application". Paper presented at the meeting of the 2006 annual meeting of the Mid-Western Educational Research Association, Columbus, Ohio.

Morgan, M.G., Morris, S.C., Meier, A.K., and Shenk, D.L. (1978a): "A probabilistic methodology for estimating air pollution health effects from coal-fired power plants". *Energy Systems and Policy*, 2, 287-310.

Morgan, M.G., Morris S.C., Rish, W.R. and Meier, A.K (1978b): Sulfur control in coal-fired power plants: A probabilistic approach to policy analysis.

ARIAVIE, G O; OVUWORIE, G C

Journal of the Air Pollution Control Association, 28, 993-997.

Morgan, M.G., Morris, S.C., Henrion, H., Amaral, D. and Rish, W.R (1984): "Technical Uncertainties in Quantitative Policy Analysis: A Sulphur Air Pollution Example". *Risk* 1917 *Analysis*, 4, 201-216.

Morgan, M.G., S.C. Morris, M. Henrion, and D.A.L. Amaral, (1985) August: Uncertainty in environmental risk assessment: A case study involving sulfur transport and health effects. *Environmental Science & Technology*, 19, 662-667.

Morgan, M. G., and Henrion, M. (1990). *Uncertainty: A guide to dealing with uncertainty in quantitative risk and policy analysis*. Cambridge, MA: Cambridge University Press.

Morgan, M. G., & Keith, D. W. (1995). Subjective Judgments by Climate Experts. *Environmental Science and Technology*, 29, 468-476.

Morgan, M.G., L.F. Pitelka, and E. Shevliakova, (2001) "Elicitation of Expert Judgments of Climate Change Impacts on Forest Coosystems". *Climatic Change*, 49, 279-307.

Morgan, M.G., P.J. Adams, and D. Keith, (2006) "Elicitation of Expert Judgments of Aerosol Forcing. *Climatic Change* (*i.e.*, in press).

Onisawa T (1990): "An Application of Fuzzy Concepts to Modeling of Reliability Analysis" Fuzzy Sets and Systems 37, pp267-287.

Powell C. (2003) The Delphi Technique: Myths And Realities. Journal of Advanced Nursing Volume 41, Issue 4, pages 376–382, February 2003

Slottje, P., Sluijs, J.P. van der and Knol, A.B (2008): "Expert Elicitation: Methodological suggestions for its use in environmental health impact assessments". National Institute for Public Health and the Environment Publication RIVM Letter report 630004001/2008.

Turoff, M. and Hiltz, S. R. (1996). "Computer based Delphi process". In M. Adler, & E. Ziglio (Eds.). Gazing into the oracle: The Delphi method and its application to social policy and public health (pp. 56-88)". London, UK: Jessica Kingsley Publishers.

Ulschak, F. L. (1983). "Human resource development: The theory and practice of need assessmen"t. Reston, VA: Reston Publishing Company, Inc.

Walton, D. (1997). Appeal to expert opinion: arguments from authority. Pennsylvania State University Press: Pennsylvania.

Wiegmann D.A (2005) "Developing a Methodology for Eliciting Subjective Probability Estimates During Expert Evaluations of Safety Interventions: Application for Bayesian Belief Networks" Final Technical Report (AHFD-05-13/NASA-05-4) Prepared for NASA Langley Research Center Hampton, VA Contract NASA NNL04AA50G.

Yahua D and Datao Y (2005) "Estimation of Failure Probability of Oil and Gas Transmission Pipelines by Fuzzy Fault Tree Analysis". Journal of Loss Prevention in the Process Industry, Volume 18, Issue 2. Page 83 – 88.